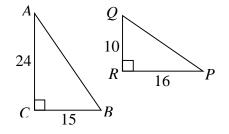
Geometry HW: Similarity - Review

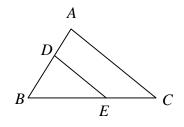
a. In the diagram at right, explain how we know that ΔABC ~ ΔPQR.
b. Describe a similarity transformation that would take ΔABC onto ΔPQR.



- 2. In parallelogram *ABCD*, *E* is the midpoint of \overline{DC} and *F* is the midpoint of \overline{AD} . If FE = 2x + 1 and AC = 6x 5, what is the length of diagonal \overline{AC} ?
- 3. The midpoints of the sides of an equilateral triangle are joined to form a smaller triangle of perimeter 24. Find the length of one side of the original triangle.
- 4. Three sides of a triangle measure 10, 12, and 18. Find the perimeter of a similar triangle whose longest side measures 7.2.
- 5. If the altitude to the hypotenuse of a right triangle divides the hypotenuse into segments measuring 8 and 32, find the length of the altitude.

6. Triangle *ABC* has area 64. If *D* is the midpoint of \overline{AC} and *E* is the midpoint of \overline{BC} , find the area of ΔDEC .

7. In $\triangle ABC$ at right, $\overline{DE} \parallel \overline{AC}$, DB = 9, AD = 3, and DE = 12. Find AC.

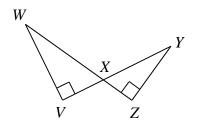


8. In $\triangle RST$, *Y* is on side \overline{RS} and *Z* is on side \overline{RT} such that $\overline{YZ} \parallel \overline{ST}$. If RY = x, YZ = x + 8, YS = 3, and ST = 2x + 1, find the numerical value of *RY*.

9. In right $\triangle PQR$, \overline{QS} is the altitude to hypotenuse \overline{PR} . If SR is 1 more than PS and PQ is 2 more than PS, find PS.

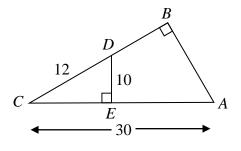
- 10. The Pyramid of Menkaure was originally 69 meters high. The earlier Pyramid of Khufu was originally 146 meters high. They were designed to be similar.
 - a. The angle of at which the sides of Khufu sloped up was 52°. At what angle did the sides of Menkaure slope up?
 - b. The length of the base of Menkaure was 108.7 meters. What was the length of the base of Khufu?
 - c. The exposed surface area of Menkaure as (approximately) 19,100 square meters. What was the surface area of Khufu?
 - d. The volume of Menkaure was (approximately) 271,760 cubic meters. What was the volume of Khufu?

11. In the diagram at right, if VW = 15, WX = 17 and YZ = 12, find XZ.



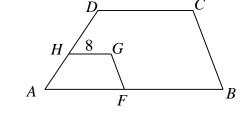
12. $\triangle ABC \sim \triangle DEF$ and the ratio of the perimeters of the triangles if 5:4. If $m \angle A = 50^{\circ}$, find

In $\triangle ABC$, $\overline{AB} \perp \overline{BC}$ and $\overline{DE} \perp \overline{CA}$. If DE = 10, 13. *CD* = 12, and *CA* = 30, find *AB*.



14. In the diagram at right, $\overline{BC} \perp \overline{PA}$, $\overline{PQ} \perp \overline{AB}$, BQ = 1, PC = 9, and AQ is three more than AC. Find the numerical value of b. *BC* a. *AC* c. *CR*

15. In the diagram at right, trapezoid ABCD is similar to trapezoid AFGH. If AF:FB = 2:3 and HG = 8, find the length of *DC*.



В

R

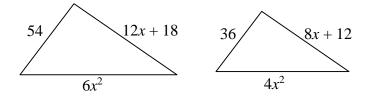
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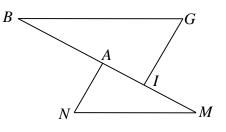
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A

16. Determine if the two triangles shown at right are similar and justify your answer.



- 17. Given: $\overline{BG} \parallel \overline{NM}$, \overline{BAIM} , $\overline{AN} \perp \overline{BM}$ and $\overline{IG} \perp \overline{BM}$
 - a. Prove: $\Delta BIG \sim \Delta MAN$
 - b. If BG = 39, NM = 30 and BI = 36, find the lengths of IG and AN.



STUFF YOU SHOULD KNOW:

Definition of similar polygons

One is the image of the other after a similarity transformation (dilation plus rigid motion)

All pairs of corresponding angles are congruent AND

All pairs of corresponding sides are in proportion (same ratio)

If the ratio of two corresponding sides of a polygon is *a*:*b*, then

The ratio of any pair of corresponding lengths will be *a*:*b*.

The ratio of corresponding areas will be $(a:b)^2$.

The ratio of corresponding volumes will be $(a:b)^3$.

Ways to prove two triangles congruent

AA SAS~

SSS~

If a line intersects two sides of a triangle and is parallel to the third side, then

Two similar triangles are formed

DRAW TWO SEPARATE TRIANGLES

If a segments joins the midpoints of two sides of a triangle, then

It is parallel to the third side

It is half the length of the third side

It forms two similar triangles with ratio 1:2

The altitude to the hypotenuse of a right triangle creates three similar triangles

 $a^2 = Pp$

 $L^2 = PH$ and $l^2 = pH$

An angle bisector divides the opposite side in proportion with the sides that include the angle.